

# The Informational Foundation of Physical Reality: Proving the Necessity of Relativity and Quantics via Information Bandwidth

Jinming Hu<sup>1\*</sup>

<sup>1</sup>Sea-Land AI Research

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## Abstract

This paper establishes that General Relativity and Quantum Mechanics are necessary logical consequences of the *Axiom of Finite Information*. We introduce a new fundamental constant,  $i$ , representing the **Information Maximum Transfer Speed**. We posit that  $i > c$ , where  $c$  is the speed of light in a vacuum. By substituting  $i$  into the relativistic framework, we demonstrate that the finite nature of  $i$  is the primary mechanism preventing infinite information density and logical singularities. Furthermore, we prove that a "Theory of Everything" is precluded by the computational cost of self-reference, and propose the observation of *Computational Redshift* as a definitive empirical test for the gap between  $c$  and  $i$ .

## 1 The Axiom of Finite Information

We define a physical system  $S$  as a resolvable set of states. Let  $\text{Info}(S)$  be the Shannon information required to describe  $S$ . We pose the **Finitude Constraint**:

$$\forall S \subset \text{Universe}, \quad \text{Info}(S) < \infty \quad (1)$$

Any physical theory allowing  $\text{Info}(S) \rightarrow \infty$  leads to a "resolution catastrophe," rendering the system uncomputable and non-existent.

## 2 The Information Maximum Transfer Speed: $i$

We propose that the universe operates on a fundamental computational substrate with a finite bandwidth. We define  $i$  as the **Information Maximum Transfer Speed**. **Postulate 1:**  $i$  is a universal constant, and  $i > c$ . In this framework, the speed of light  $c$  is not the ultimate limit of causality, but the maximum speed at which gauge bosons can propagate through the vacuum's informational lattice. The gap  $\Delta = i - c$  represents the "computational drag" of the vacuum.

\*Corresponding author: jinminghu@sea-land.ai

## 3 Proof of Relativity: The Necessity of $i$

Assume  $i = \infty$  (infinite speed of information). If information transfer were instantaneous, every point in the universe would be in synchronized contact with every other point. For any volume  $dV$ , the entropy required to maintain global simultaneity would be:

$$\text{Info}_{\text{sync}} = \lim_{i \rightarrow \infty} \int_{\text{Universe}} \text{State}(\vec{r}) d\vec{r} \rightarrow \infty \quad (2)$$

This violates Eq (1). Thus, a finite  $i$  must exist to partition the universe into causally manageable light cones. The Lorentz transformations must be reframed using  $i$  as the invariant:

$$\gamma_i = \frac{1}{\sqrt{1 - \frac{v^2}{i^2}}} \quad (3)$$

This ensures that as  $v \rightarrow i$ , the energy-information cost of accelerating a state becomes infinite, preserving the finitude of the local system.

## 4 Proof of Quantics: Resolvability and $h$

If space-time were continuous, describing the position of a particle would require infinite bits:

$$\text{Info}(\text{pos}) = \lim_{\Delta x \rightarrow 0} \log_2 \left( \frac{L}{\Delta x} \right) = \infty \quad (4)$$

To satisfy Eq (1), there must be a non-zero minimum resolution  $\Delta x_{\text{min}}$  and a discrete action quantum  $h$ . Quantics is the universe's mechanism to prevent "resolution overflow."

## 5 The Impossibility of Universal Synthesis

A "Theory of Everything" (ToE) seeks a final Lagrangian  $\mathcal{L}$ . However,  $\mathcal{L}$  must be encoded within the universe.

Any theory  $\mathcal{T}$  that accounts for the informational cost of its own calculation creates an infinite regress:

$$\mathcal{T}_{n+1} = \mathcal{T}_n + \text{Info}(\text{computation of } \mathcal{T}_n) \quad (5)$$

As  $n \rightarrow \infty$ , the complexity of  $\mathcal{T}$  exceeds the capacity of the universe. Thus,  $i$  ensures that knowledge is an asymptotical process, never a closed set.

## 6 Empirical Prediction: Computational Redshift (CRI)

We predict that the observed redshift  $z$  contains a component  $\Delta z_{CRI}$  caused by the latency of the information substrate. Using the  $i$ -stabilized Doppler formula:

$$\tanh(\ln(1+z)) = \frac{v}{i} \quad (6)$$

Rearranging to solve for the Information Maximum Transfer Speed:

$$i = \frac{v}{\tanh(\ln(1+z))} \quad (7)$$

By measuring  $z$  and  $v$  from distant quasars, we can calculate  $i$ . If  $i$  is found to be a finite value slightly larger than  $c$ , it would confirm that  $c$  is a "throlled" speed and that the universe is a finite computational system.

## 7 Conclusion

Relativity and Quantics are the guardians of informational finitude. By introducing  $i$  as the true invariant, we resolve the logical singularities of continuity and simultaneity. Existence is complete, but its calculation is a finite, bounded process.

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